Unit Overview and Guidance

- The exemplification has been taken from the NCETM online 'Resource Toolkit', with additions in order to ensure full coverage.
- Links to the White Rose Maths hubs schemes of work (with questions categorised into the three aims of the national curriculum i.e. fluency, problem solving and reasoning) are hyperlinked to each of the objectives. Many thanks go to the White Rose Maths hub for permission to include their resources.
- The NCETM reasoning questions have also been incorporated into each unit and are identified in pale purple boxes underneath the group of the most relevant objectives.
- The 'big Ideas' sections from the NCETM 'Teaching for Mastery' documents have been included at the start of each unit. Hyperlinks to the full NCETM 'Teaching for Mastery' documents have also been included for easy reference.
- Hyperlinks to NRich activities have also been added to this version. These are found by clicking on the blue buttons like this one 🛄 at the bottom of relevant objective.
- Some additional content has been added in order to support mixed-aged planning. Any additional content is in *italics*. Occasionally strikethrough has been used to identify when an objective has been altered and this is primarily where an objective has been split between two units.
- Each unit is sub-divided into sections for ease of planning. Sub-categories in this unit are;
 - 1. Recognising and Finding Fractions
 - 2. Decimals
 - 3. Finding and Using Equivalence
 - 4. Calculating with Fractions, Decimals and Percentages
 - 5. Solving Problems

	Reception	Yr 1	Yr 2	Yr 3
NCETM Teaching for Mastery uestions, tasks and activities to support assessment	The Big Ideas <i>Numbers (Early Learning goals)</i> They solve problems, including doubling, halving and sharing.	The Big Ideas Fractions express a relationship between a whole and equal parts of the whole. Ensure children express this relationship when talking about fractions. For example, 'If the circle (where the circle is divided into four equal parts with one part shaded) is the whole, one part is one quarter of the whole circle.' Halving involves partitioning an object, shape or quantity into two equal parts. The two parts need to be equivalent in, for example, area, mass or quantity.	The Big Ideas Fractions involve a relationship between a whole and parts of a whole. Ensure children express this relationship when talking about fractions. For example, 'If the bag of 12 sweets is the whole, then 4 sweets are one third of the whole.' Partitioning or 'fair share' problems when each share is less than one gives rise to fractions. Measuring where the unit is longer than the item being measured gives rise to fractions.	The Big Ideas Fractions are equal parts of a whole. Equal parts of shapes do not need to be congruent but need to be equal in area. Decimal fractions are linked to other fractions. The number line is a useful representation that helps children to think about fractions as numbers.
Ø	Becoming a Mathematician	Teaching for Mastery Year 1	Teaching for Mastery Year 2	Teaching for Mastery Year 3

















			What do you notice?	What do you notice?	What comes next?	
			Choose a number of counters. Place them onto 2 plates so that there is the same number on each half.	¼ of 4 = 1	6/10, 7/10, 8/10,,	
				¼ of 8 = 2	12/10, 11/10,,,	
			When can you do this and when can't you?	¼ of 12 = 3	True or false?	
			What do you notice?	Continue the pattern	2/10 of 20cm = 2cm	
			True or false?	What do you notice?	4/10 of 40cm = 4cm	
			Sharing 8 apples between 4 children means each child has 1 apple.	True or false?	3/5 of 20cm = 12cm	
S				Half of 20cm = 5cm	Give an example of a fraction that is less than a	
ior				³ ⁄ ₄ of 12cm = 9cm	half. Now another example that no one else will think of.	
act				Ordering		
g Fr	b	M Reasoning		Put these fractions in the correct order starting with the smallest.	Put these fractions in the correct order, starting with the smallest.	Explain how you know the fraction is less than a half. (draw an image)
ipc	sonir			1⁄2 1⁄4 1/3	Put in Order	
d Fir	M Rea				Ben put these fractions in order starting with the smallest. Are they in the correct order?	
ar	CET				One fifth, one seventh, one sixth	
ing	Ž				What do you notice?	
nis					1/10 of 10 = 1	
bog					2/10 of 10 = 2	
Sec					3/10 of 10 = 3	
					Continue the pattern. What do you notice?	
					What about 1/10 of 20? Use this to work out 2/10 of 20, etc	
					What do you notice?	
					Find 2/5 of 10	
					Find 4/10 of 10.	
					What do you notice? Can you write any other similar statements?	





Decimals	Counting with decimals			<pre>count up and down in tenths; recognise that tenths arise from dividing an object into 10 equal parts and in dividing one-digit numbers or quantities by 10 Children should be able to: • Use decimal notation for tenths • Divide single digits or whole numbers by 10 • Explain how finding 1/10 is the same as dividing by 10 Here is part of a number line. Write in the numbers missing from the two empty boxes.</pre>
	NCETM Reasoning		Spot the mistake and correct it 7, 7 ½, 8, 9, 10 8 ½, 8, 7, 6 ½, What comes next? 5 ½, 6 ½, 7 ½,, 9 ½, 9, 8 ½,,	Spot the mistake six tenths, seven tenths, eight tenths, nine tenths, eleven tenths and correct it.
Jsing Equivalence	Equivalent Fractions		recognise the equivalence of $\frac{2}{4}$ and $\frac{1}{2}$ Would a chocolate lover rather have $\frac{1}{2}$ or $\frac{2}{4}$ of this bar of chocolate? Explain your answer.	 recognise and show, using diagrams, equivalent fractions with small denominators Children should be able to: Identify pairs of fractions that total 1. Circle two fractions that have the same value.
Finding and U	NCETM Reasoning		Odd one out. Which is the odd one out in this trio: ½ 2/4 ¼ Why? What do you notice? Find ½ of 8, Find 2/4 of 8. What do you notice?	Odd one out.Which is the odd one out in each of these trios? $\frac{1}{2}$ $\frac{3}{6}$ $\frac{5}{8}$ $\frac{3}{9}$ $\frac{2}{6}$ $\frac{4}{9}$ Why?





ns, Decimals and Percentages	ractions	Adding and Subtracting Fractions		Add/subtract fractions with the same denominator within one whole (e.g. 5/7 + 1/7 = 6/7) This could also be done by using drawings and in the array form: For addition:
	Adding and Subtracting F			$ \begin{array}{c} \circ & \circ & \circ \\ \circ & \circ & \circ \\ 1/3 & 1/6 & 3/6 \\ \end{array} $ and for subtraction: $ \begin{array}{c} \circ & \circ & \circ \\ \circ & \circ & \circ \\ 1/3 & 1/6 & 3/6 \\ \end{array} $
Calculating with Fraction	NCETM Reasoning			1/3 $1/6$ $1/6$ What do you notice? $1/10 + 9/10 = 1$ $2/10 + 8/10 = 1$ $3/10 + 7/10 = 1$ Continue the patternCan you make up a similar pattern for eighths?The answer is $5/10$, what is the question?(involving fractions / operations)





oblems	oblems	solve one-step problems involving multiplication and division, by calculating the answer using concrete objects, pictorial representations and arrays with the support of a teacher Find half of and double a number or quantity: 16 children went to the park at the weekend. Half that number went swimming. How many children went swimming? I think of a number and halve it. I end up with 9, what was my original number?	solve problems that involve all of the above 15 grapes are shared equally onto five plates. What fraction of the grapes is on each plate? Megan has 20 animal stickers to go on this page Pets 1/4 of them are dog stickers
Solving Proble	Solving Problem		1/4 of them are dog stickers 1/2 of them are cat stickers The rest are rabbit stickers How many rabbit stickers does she have? Only a fraction of each ribbon is shown. The rest is hidden behind the sheet of paper – First: $\frac{1}{2}$ Second: $\frac{1}{3}$ Which ribbon is longer? Explain your reasoning.



